

Announcements

- Enrollment
 - Now 1 on the waitlist
- Reading
 - Chapter 3 (3.3-3.6)
- Project #2
 - Handout is on the web
 - Due on Monday Sept 24th (10 AM)
 - Reminder, no credit for late work

Error Codes (cont.)

- Error Recovery

- Given m bits of data and r bits of error code
- Want to correct any one bit error
- There are n words one bit from each valid message
 - so need $n+1$ words for each valid message
 - thus $(n + 1) 2^m \leq 2^n$
 - but $n = m + r$ so $(m + r + 1) \leq 2^r$

- Hamming Code

- recovers from any one bit error
- number bits from left (starting at 1)
 - power of two bits are parity
 - rest contain data
- bit is checked by all parity bits in its sum of power expansion
 - bit 11 is used to compute parity bits 1, 2, and 8

Hamming Code Example

Char	ASCII	Hamming
H	1001 000	0011 0010 000
a	1100 001	1011 1001 001
m	1101 101	1110 1010 101
l	1101 001	0110 1011 001

- **Burst Errors**

- can send hamming codes by column rather than row
- if use k rows, then can detect any burst error up to k bits
 - uses kr bits to check a block km bits long

Computing a Hamming Code

Bit #s	1	2	3	4		5	6	7	8		9	10	11
Parity/Data	P	P	D	P		D	D	D	P		D	D	D
Data To Snd			1			0	0	1			0	0	0
Parity Bit 1	0		1			0		1			0		0
Parity Bit 2		0	1				0	1				0	0
Parity Bit 4				1		0	0	1					
Parity Bit 8									0		0	0	0
Message	0	0	1	1		0	0	1	0		0	0	0

Checking & Correcting a Hamming Code

Bit #s	1	2	3	4		5	6	7	8		9	10	11
Parity/Data	P	P	D	P		D	D	D	P		D	D	D
Data Sent	0	0	1	1		0	0	1	0		0	0	0
Data Recv	0	0	0	1		0	0	1	0		0	0	0
Parity Bit 1	1		0			0		1			0		0
Parity Bit 2		1	0				0	1				0	0
Parity Bit 4				1		0	0	1					
Parity Bit 8									0		0	0	0
XOR Paritys	1	1		0					0				
Corrected Msg	0	0	1	1		0	0	1	0		0	0	0

Binary # when XOR the parity is the bit position with the error (e.g. 0011 = bit 3 is wrong)

Error Detection

- Less bits are required
 - if errors are infrequent, then then this works better
 - assumes that re-transmission is possible
- Cyclic Redundancy Codes (CRC)
 - Use a generator function $G(x)$ of degree r
 - $r+1$ bits long
 - $x^5 + x^2 + 1$ is degree 5 and represented as 100101
 - let M' be the message with r 0's on the end of it
 - divide M' into $G(x)$ and compute remainder
 - use this as the r bit CRC code
 - a code with r bits will detect all burst errors less than r bits

CRC's

- several G's are standardized
 - CRC-12 = $x^{12} + x^{11} + x^3 + x^2 + x + 1$
 - CRC-16 = $x^{16} + x^{15} + x^2 + 1$
 - CRC-CCITT = $x^{16} + x^{12} + x^5 + 1$
- 16 bit CRC will catch
 - all single and double bit errors
 - all errors with an odd number of bits
 - all burst errors of length less than 16

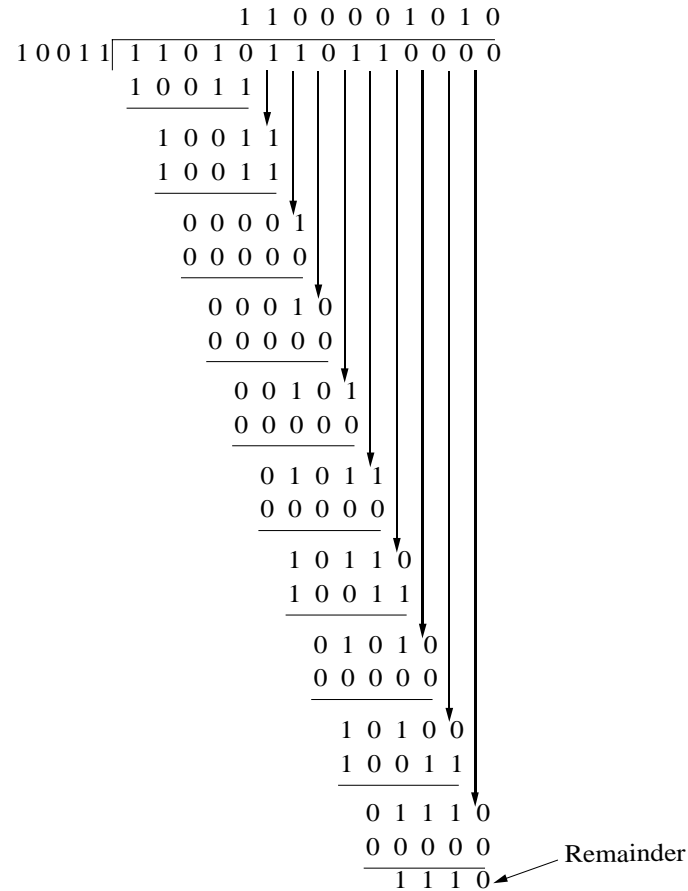
CRC Example

Frame : 1101011011

Generator: 10011

Message after appending 4 zero bits: 11010110000

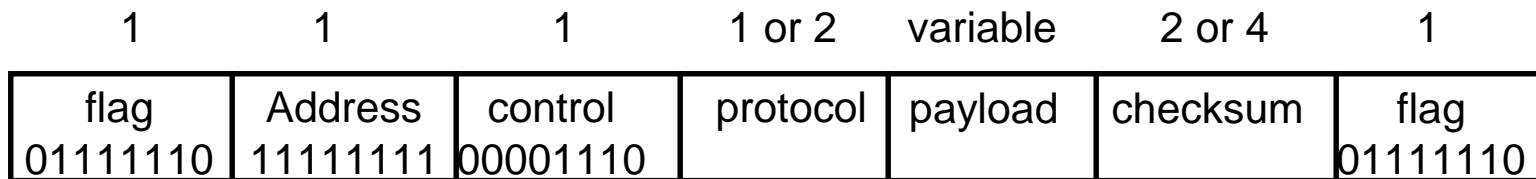
Division is done using XOR



Transmitted frame: 11010110111110

PPP Protocol

- **Link Protocol for Serial Lines**
 - Supports multiple network protocols: IP, IPX, CLNP, ...
 - designed for dialup or leased lines
- **Link Establishment (via LCP - Link Control Protocol)**
 - Negotiate Options
 - configure-request: list of proposed options and values
 - configure-**{ack/nack}**: will (won't) use the requested option
 - Allows for authentication



From: *Computer Networks*, 3rd Ed. by Andrew S. Tanenbaum, (c)1996 Prentice Hall.

PPP Cont.

- NCP protocol
 - per network level protocol
 - used to establish network attributes (e.g. addresses)
 - high bit of protocol # is a one
- Notes on Link Format
 - character stuff flag byte in data
 - Escape Character is 0x7d (0111 1101)
 - Escape Character and Frame Marker sent at
 - <Esc-Char><data XOR 0x20>
 - option to skip address and control fields (since constant)
- IP
 - Protocol byte (0x21) or 0x8021 for IP NCP